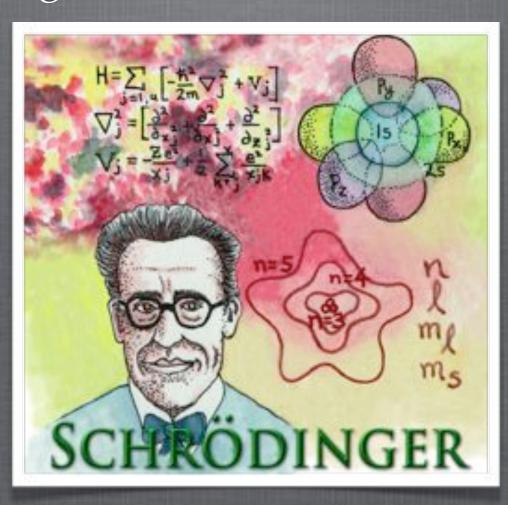
# Quantum Numbers Making Sense of Electron Structure



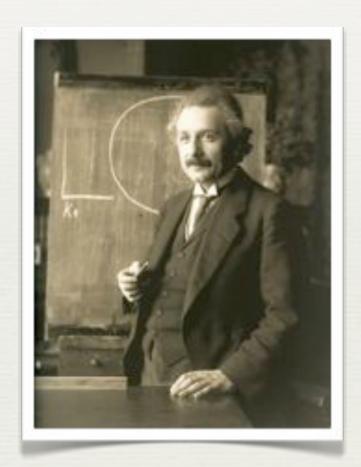
## by David V. Black



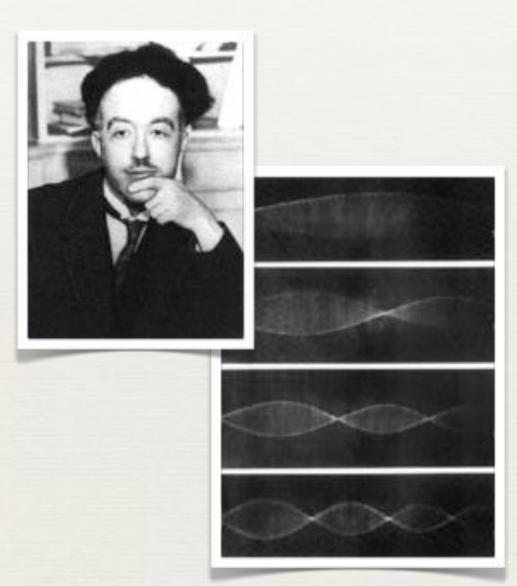
- This presentation was put together by David V. Black, chemistry teacher at Walden School of Liberal Arts in Provo, Utah.
- Feel free to use this
  however you like: add
  to it, pass it on, etc.
  Just give me the
  credit I so richly
  deserve . . .

## Particles and Waves

- \* Einstein's 1905 paper on the photoelectric effect demonstrated that photons act as particles.
- \* For electrons to be knocked off of a semiconductor such as silicon, the incoming light must be in the form of particles or packets of energy (photons).



### **DE BROGLIE**



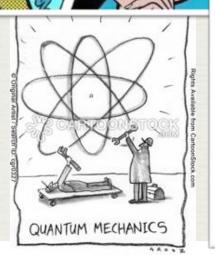
- Experiments by Louis de Broglie and others showed that electrons also act as waves (a single electron can be split through two slits to create interference patterns).
- + Certain areas reinforce to create standing waves, other areas cancel each other out (null zones).
- + The electrons move continuously, but the standing wave patterns remain stable.

## Uncertainty – Get Used to It!

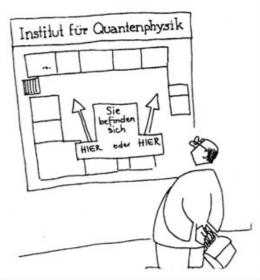
- Werner Heisenberg proposed what is now called the Uncertainty Principle: any two complimentary properties of subatomic particles (such as position or momentum) can't be determined simultaneously.
- \* OK. Sure. So . . . what does that mean?

 $\Delta\chi\Delta
ho\geqrac{\hbar}{2}$  oh auce... You're the one for me how can we be sure how can we be sure









### The Technical Stuff

$$\begin{split} \langle f|g\rangle - \langle g|f\rangle &= \int_{-\infty}^{\infty} \psi^*(x) \, x \cdot \left(-i\hbar \frac{d}{dx}\right) \, \psi(x) \, dx \\ &- \int_{-\infty}^{\infty} \psi^*(x) \, \left(-i\hbar \frac{d}{dx}\right) \cdot x \, \psi(x) dx \\ &= i\hbar \cdot \int_{-\infty}^{\infty} \psi^*(x) \left[\left(-x \cdot \frac{d\psi(x)}{dx}\right) + \frac{d(x\psi(x))}{dx}\right] \, dx \\ &= i\hbar \cdot \int_{-\infty}^{\infty} \psi^*(x) \left[\left(-x \cdot \frac{d\psi(x)}{dx}\right) + \psi(x) + \left(x \cdot \frac{d\psi(x)}{dx}\right)\right] \, dx \\ &= i\hbar \cdot \int_{-\infty}^{\infty} \psi^*(x) \psi(x) \, dx \\ &= i\hbar \cdot \int_{-\infty}^{\infty} |\psi(x)|^2 dx \\ &= i\hbar \end{split}$$

Please memorize this by Monday

Precisely determined momentum

A sine wave of wavelength λ implies that the momentum p is precisely known:

But the wavefunction and the probability of finding the particle will be spread over all of space.

Adding several waves of different wavelength together will produce an interference pattern which begins to localize the wave.

but that process spreads the momentum values and makes it more uncertain. This is an inherent and linescapable increase in the uncertainty Δp when Δx is decreases.

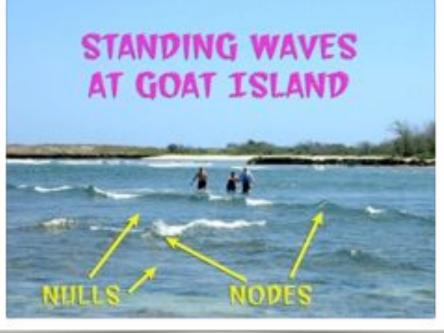
Since particles are also waves, many quantum wavelengths combined create interference patterns that add up in some places, cancel out in others, creating a "locality" for the particle.

It's really about probability: the waves go everywhere, but they are found in some places more often than others.

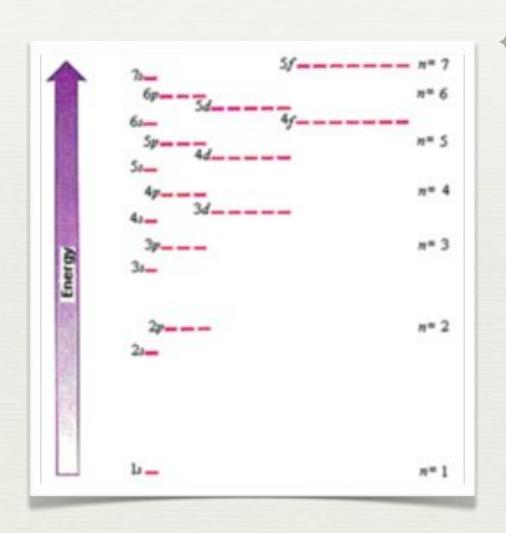
# Standing Waves

- An example of standing waves: Goat Island, Hawaii
- Waves are bent around the island both directions, then meet behind the island to create stable standing wave nodes.





### **EXPLAINS QUANTA**



Planck's observation that only certain energy levels (quanta) are available for an electron in an atom, and that electrons can leap from level to level without passing through the space in between, can only be explained if electrons act as waves.

- \* Schrödinger's Quantum Mechanics equations provide a set of four numbers for the allowable energy levels of electrons in an atom.
- \* These describe the regions where electrons are most likely to be found (a probability of 90% or more).
- \* According to the Pauli Exclusion Principle, no two electrons in the same atom can have the same set of quantum numbers. In other words, each electron has unique energy.

# THE NUMBERS





- n is the principle quantum number, representing the electron's distance from the nucleus (its radius).
- \* *l* is the energy provided by the electron's angular momentum.
- *mi* is the energy of the electron's magnetic field created by its angular momentum.
- \* m<sub>s</sub> is the magnetic component created by the electron's spin.

#### Rules for Allowable Combinations of Quantum Numbers

- The three quantum numbers (n, l, and m) that describe an orbital must be integers.
- "n" cannot be zero. "n" = 1, 2, 3, 4...
- "I" can be any integer between zero and (n-1).

e.g. If n = 4, / can be 0, 1, 2, or 3.

· "m" can be any integer between -l and +l.

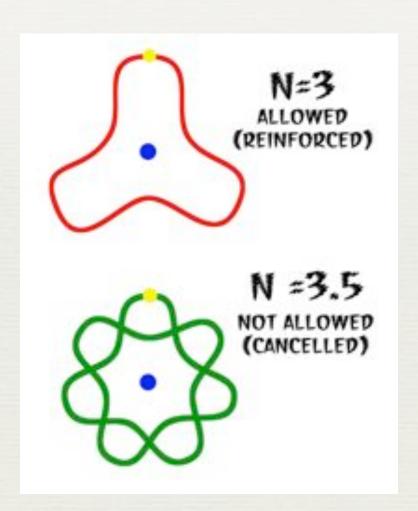
e.g. If t = 2, m can be -2, -1, 0, 1, or 2.

"s" is arbitrarily assigned as + \(\frac{1}{2}\) or - \(\frac{1}{2}\), but for any one subshell (n, l, m combination), there can only be one of each.

#### Graphical Representation of Allowable Combinations of Quantum Numbers

| Shell<br>n | Subshell<br>I | Subshell<br>Notation | Orientation<br>m   | Number of<br>Orbitals |  |
|------------|---------------|----------------------|--------------------|-----------------------|--|
| 1          | 0             | is.                  | 0                  | 1                     |  |
| 2          | 0             | 2s                   | 0                  | 1                     |  |
|            | -1            | 2p                   | -1 0 +1            | 3                     |  |
| 3          | 0             | 3s                   | 0                  | - 1                   |  |
|            | 1             | 3р                   | -1 0 +1            | 3                     |  |
|            | 2             | 34                   | -2 -1 0 +1 +2      | 5                     |  |
| 4          | 0             | 4s                   | 0                  | 1                     |  |
|            | 1             | 4p                   | -1 0 +1            | 3                     |  |
|            | 2             | 44                   | -2 -1 0 +1 +2      | 5                     |  |
|            | 3             | 46                   | 3 -2 -1 0 +1 +2 +3 | 7                     |  |

# THE PRINCIPLE NUMBER



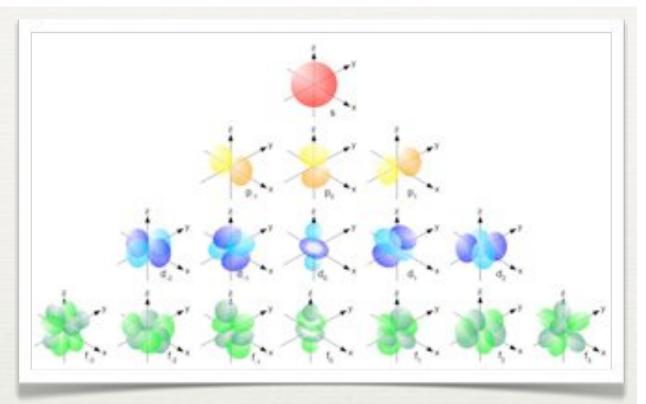
The values that *n* can have are only positive integers (*n* = 1, 2, 3, 4, etc.).

- *n* represents the number of wavelengths of the electron as it travels around the nucleus. The higher the value of *n*, the more wavelengths and the further out it is (higher energy).
- For integer values, the waves reinforce. For noninteger values, such as n = 3.5, the waves interfere with each other and cancel out.

# ANGULAR MOMENTUM QUANTUM NUMBER

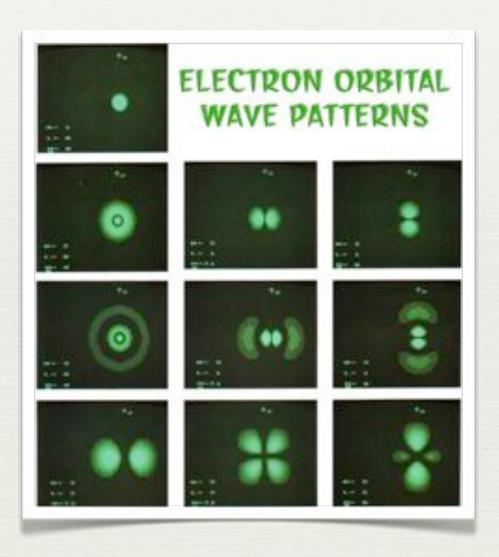
- \* The second quantum number, *l*, represents the angular momentum of the electron as it travels around the nucleus. It is also called the *subshell* or *orbital* number.
- \* It can have the values of 0 through *n*-1. For example, if n = 3, then *l* can have the values of 0, 1, and 2.
- For l = 0, the orbital is called  $\delta$ ; for l = 1, it is called p; for l = 2, it is called  $\partial$ , and for l = 3, it is called f. If there were higher values for l (no atom has these yet), they would be g, h, i, etc.

### ORBITAL SHAPES



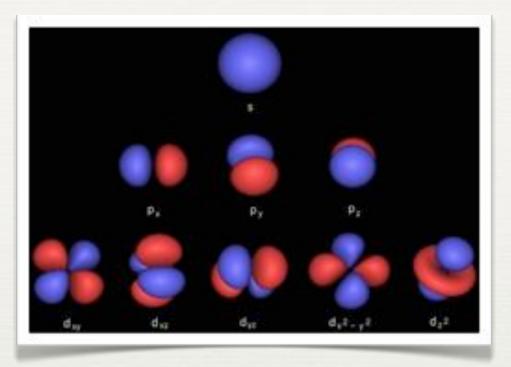
- \* Since standing waves can't exactly be said to "orbit" around anything, the areas where the electrons are most likely to be found (> 90%) are called *orbitals*.
- \*  $\delta$  orbitals are fuzzy spheres, p orbitals are shaped like barbells or dumbbells for weightlifting,  $\delta$  orbitals are shaped like cloverleaves (except one suborbital), and f orbitals are double cloverleaves (except one suborbital).

### PROBABILITY REGIONS

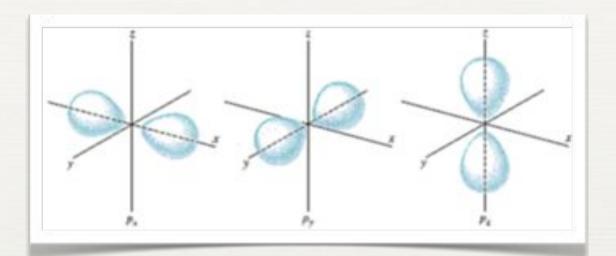


- \* These shapes represent regions of highest electron density, where the electrons are most likely to be found.
- The shapes not only come out of the equations, but using magnetic resonance, we can get a "picture" of the orbitals.

### MAGNETIC-ANGULAR MOMENTUM QUANTUM NUMBER



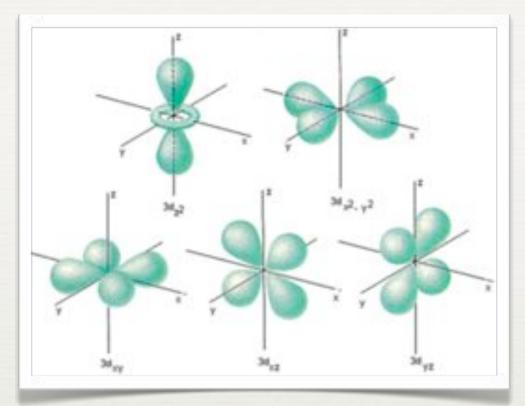
- \* The third quantum number is *mt* (*m* sub *l*), which is the energy provided by the magnetic field associated with the electron's angular momentum.
- \* According to Faraday's Principle, a moving electrical charge (or electron) will produce a magnetic field.
- \* ml can have allowable values from -l to +l. For example, for l = 3, ml can be -3, -2, -1, 0, 1, 2, and 3.



### SUB-ORBITALS

- \* The *mu* quantum number is also called the *suborbital* number, since it splits the orbitals into various orientations because of magnetic repulsion between electrons.
- \* The p orbitals (l = 1) split into three suborbitals, each aligned along one of the coordinate axes and called  $p_x$ ,  $p_y$ , and  $p_z$ .
- \* The total suborbitals for each value of l is 2l + 1.

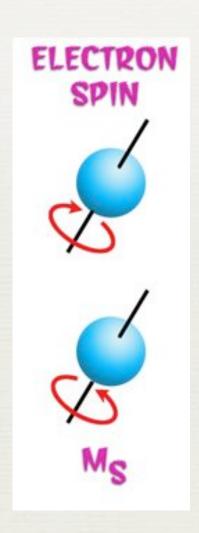
### D SUB-ORBITALS



- The d-type orbital splits into five suborbitals (l = 2 and ml = -2, -1, 0, 1, and 2).
- Four of the suborbitals are shaped like cloverleaves, the final ( $m\iota = 0$ ) is a dumbbell with a ring.
- \* They are aligned as far apart from each other as possible.

### SPIN QUANTUM NUMBER

- \* The fourth quantum number,  $m_s$ , is the energy provided to the electron by the magnetic field associated with the electron's spin.
- \* If we show an electron as a spherical particle, it can be said to have a rotational axis and can either rotate clockwise or counter-clockwise.
- + These spins are given values of -1/2 and +1/2.



### **ELECTRON PAIRS**

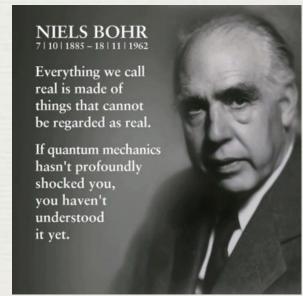


- Although electrons tend to repel each other (having like charges), two electrons can pair up in the same suborbital if they have opposite spins.
- However, according to Hund's Rule, if there are empty suborbitals available, electrons won't pair up unless they have to.

## The London Bus Analogy

- Imagine getting on a bus with many levels of benches. The benches have room for two people each.
- \* You would not want to sit by a stranger if an empty bench was available. But you would rather sit by a stranger than climb to a higher level.
- \* Electrons fill atoms in just the same way. The benches are the suborbitals (*mt*).





### ALL THE NUMBERS

- Now that you understand quantum numbers . . . you do, don't you??
- (According to Richard Feynman, no one really understands quantum mechanics)
- Here's a table showing the allowable numbers for each main energy shell (*n*) for *n* = 1 to 4:

#### Rules for Allowable Combinations of Quantum Numbers

- The three quantum numbers (n, l, and m) that describe an orbital must be integers.
- "w" cannot be zero. "w" = 1, 2, 3, 4...
- "I" can be any integer between zero and (n-1).

e.g. If n = 4,7 can be 0, 1, 2, or 3.

· "w" can be any integer between -l and +l.

e.g. If t = 2, m can be -2, -1, 0, 1, or 2.

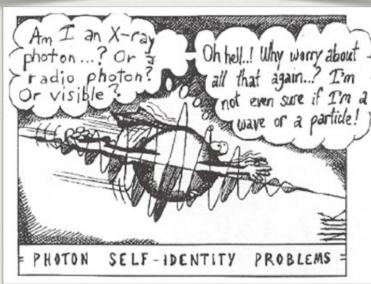
"s" is arbitrarily assigned as + ½ or -½, but for any one subshell (n, l, m combination), there can only be one of each.

#### Graphical Representation of Allowable Combinations of Quantum Numbers

| Shell<br># | Subshell<br>I | Subshell<br>Notation | Orientation        | Number of<br>Orbitals |
|------------|---------------|----------------------|--------------------|-----------------------|
| 1          | 0             | İs.                  | 0                  | 1                     |
| 2          | 0             | žs .                 | 0                  | 1                     |
|            | -1            | 2p                   | -1 0 +1            | 3                     |
| 3          | 0             | 3s                   | 0                  | - 1                   |
|            | 1             | 3р                   | -1 0 +1            | 3                     |
|            | 2             | 36                   | -2 -1 0 +1 +2      | 5                     |
| 4          | 0             | 4s                   | 0                  | 1                     |
|            | 1             | 4p                   | -1 0 +1            | 3                     |
|            | 2             | 46                   | -2 -1 0 +1 +2      | 5                     |
|            | 3             | 46                   | 3 -2 -1 0 +1 +2 +3 | 7                     |

### **ELECTRONS PER ORBITAL**





- About now, you should be having an "Ah hah!" moment: "If two electrons can fill each suborbital," you say to yourself, "Then there can be two electrons in an  $\delta$  orbital, six in a  $\rho$ , ten in a  $\partial$ , and fourteen in an f."
  - Either that, or you wish all quantum theorists would pack up and move to Goat Island . . . or better yet, you wish YOU were on Goat Island instead of studying quantum numbers.

### THE IMPORTANT PART

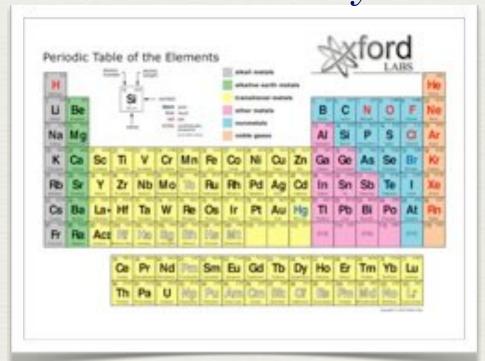
\* If you've been skimming through this presentation until now, here's the important part: the shape of the periodic table actually depends on these quantum numbers and how electrons fill the orbitals.

\* Quantum numbers also explain why different elements have different properties and determine how they react

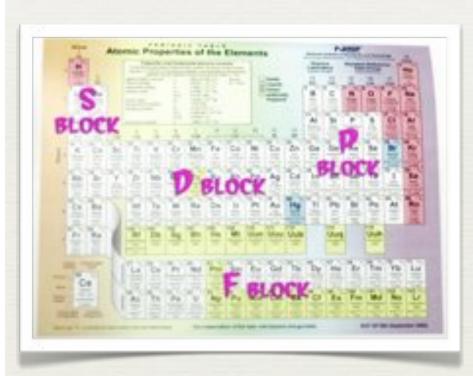
with each other.

In other words, quantum mechanics explains just about all of chemistry!

Not bad for just four numbers.



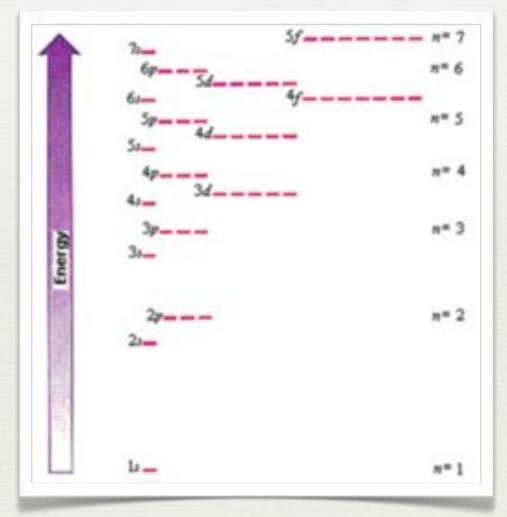
### PERIODIC TABLE BLOCKS



- Quantum numbers are represented by the different blocks of elements in the periodic table.
- \* The two left-most columns represent the *s*-orbital electrons.
- \* The central ten columns are  $\partial$ -orbital electrons.
- \* The right six columns are the *p*-orbitals.
- \* The bottom two rows with 14 elements each are the *f*-orbital electrons.

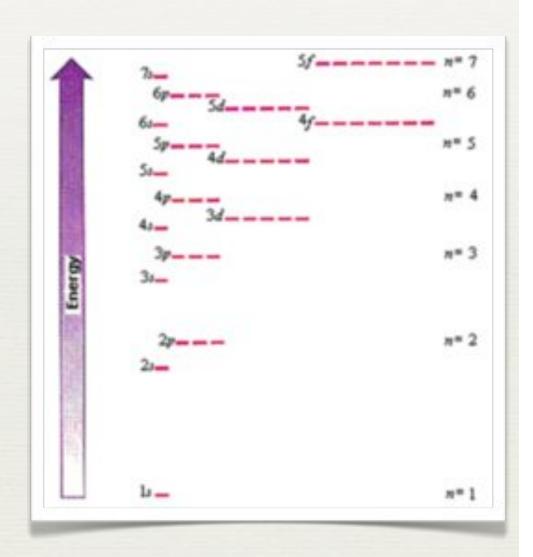
### THE AUFBAU PRINCIPLE

- \* The various energy shells (n) fill up with electrons from the lowest levels up.
- This is the Aufbau ("filling up") Principle.
- Since shells split up into orbitals and suborbitals, they overlap each other.

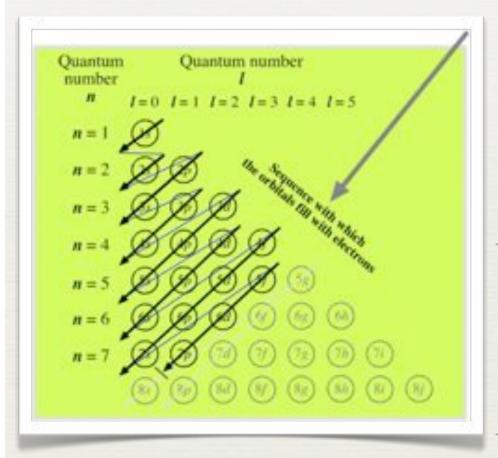


### **ELECTRON LADDER**

- For example, electrons start to fill up the fourth shell (4₺ orbital) before they finish the third shell (3₺ orbital).
- In this electron ladder diagram, each suborbital is represented by a dashed red line.
- Each suborbital can hold two electrons.



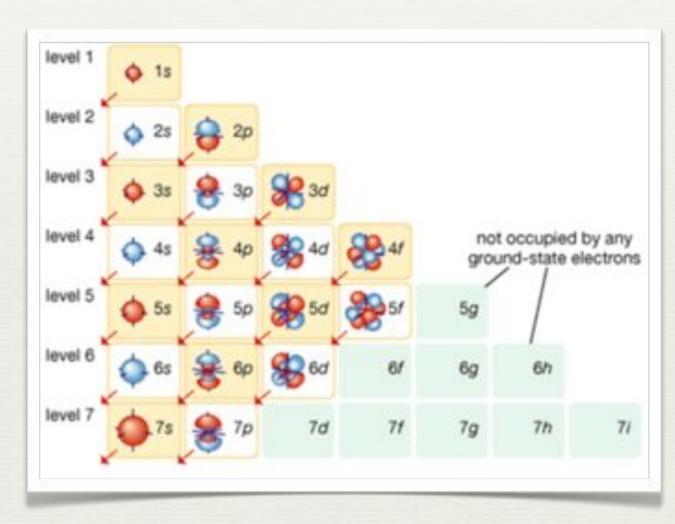
# ORBITAL FILLING ORDER + T



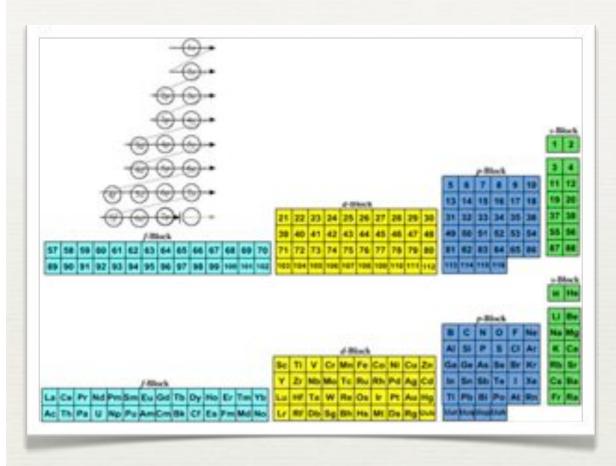
- The order of orbital filling is therefore: 1 $\mathcal{S}$ , 2 $\mathcal{S}$ , 2 $\mathcal{S}$ , 3 $\mathcal{S}$ , 3 $\mathcal{S}$ , 4 $\mathcal{S}$ , 3 $\mathcal{S}$ , 4 $\mathcal{S}$ , 4 $\mathcal{S}$ , 6 $\mathcal{S}$ , 4 $\mathcal{S}$ , 6 $\mathcal{S}$ , 2 $\mathcal{S}$ , 2 $\mathcal{S}$ , 6 $\mathcal{S}$ , 6 $\mathcal{S}$ , 2 $\mathcal{$
- The next orbitals should be 80, then 59. We don't know what a 9 orbital would look like.
- Fortunately, there is a pattern to all this, as this diagram shows.

### ORBITAL FILLING ORDER

Here's another version of the same filling diagram:



### LEFT-STEP TABLE



 The best way to visualize electron orbital filling as it relates to the Periodic Table is to use the leftstep version, invented by Charles Janet in 1928.

Here, the order of electron orbital filling as it relates to atomic number (and electron number for neutral atoms) is more easily seen.

### ELECTRON CONFIGURATIONS

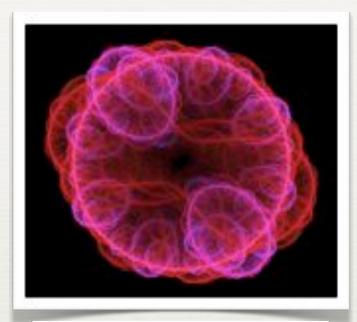
- \* Each element has an electron configuration that represents how many electrons are in each shell and orbital.
- \* We use a shorthand that looks like this for platinum, for example: [Xe]  $6 \cdot 2 \cdot 4f10 \cdot 5\partial 8$ .
- This means that platinum has the same core electron structure as Xenon (the previous noble gas) plus a full 6 orbital, a full 4 orbital, and eight electrons in the 5 orbital.

- \* All of these shells, orbitals, and suborbitals fit inside each other, nestled together in an intricate dance of electrons.
- \* Electrons absorb energy as atoms are heated up or are struck by photons.
- \* As they absorb energy, they leap to higher quantum levels (a so-called quantum leap).
- \* When they drop back to their ground state, they emit very specific wavelengths of light that can be used to identify the elements. And make fireworks . . . .

### DANCE OF ENERGY

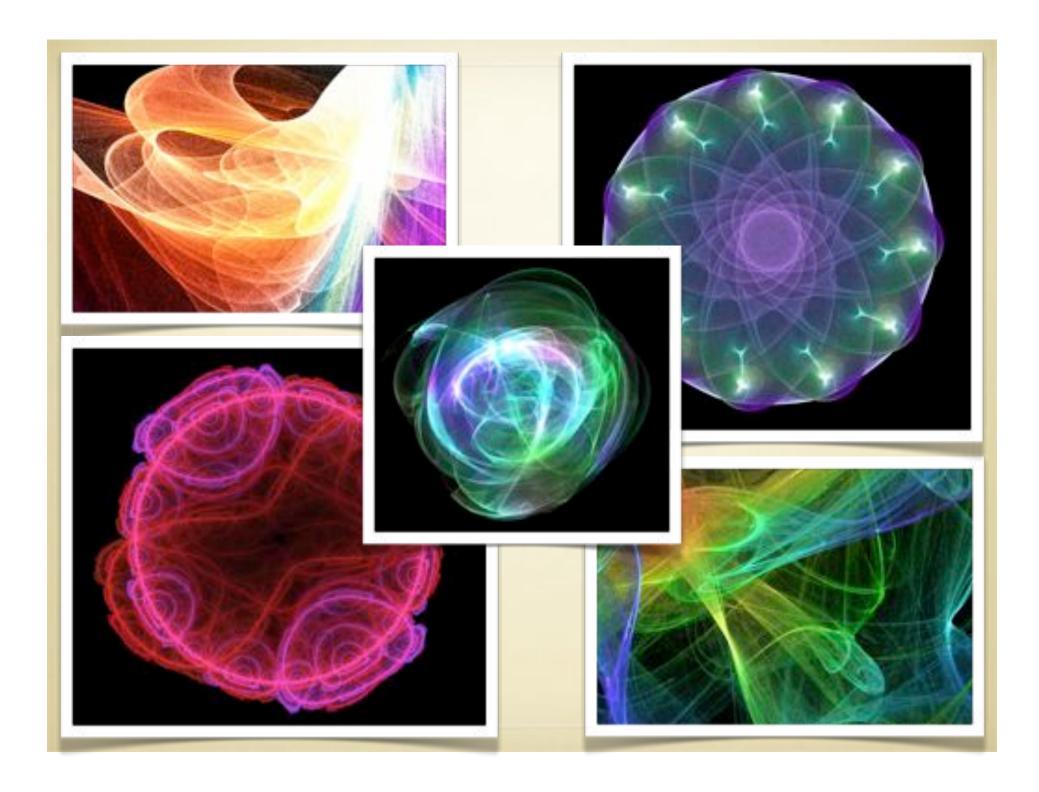


### **CRYSTALLIZED ENERGY**





- \* From Einstein's Special Relativity equation, we understand that energy and matter are two sides of the same coin.
- Matter (including electrons) is really just crystallized energy, a pattern of standing waves (or localized interference) which is predicted by quantum mechanics.
- \* Just something to think about . . . .



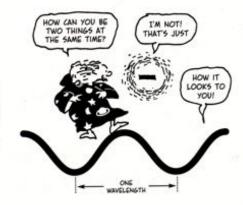
# THE CARTOON GUIDE TO CHEMISTRY

- Let's look at this another way:
- "The Cartoon Guide to Chemistry" by Larry Gonick and Craig Criddle
- Electrons are particles that are smeared out into waves.

#### The Elusive Electron

TO TURN THAT RATHER STARK LIST INTO A PERIODIC TABLE—FOR THAT IS OUR GOAL—WE NOW TURN TO THE ATOM'S OTHER MAIN INGREDIENT, IT'S ELECTRONS. THESE, WE SHOULD WARN YOU, DEFY COMMON SENSE, BECAUSE ELECTRONS, YOU SEE, OBEY THE BIZARRE RULES OF MODERN PHYSICS CALLED QUANTUM MECHANICS.

WRAP YOUR MIND
AROUND THIS: AN ELECTRON IS A PARTICLE,
LIKE A MARBLE, BUT
ALSO A WAVE, LIKE A
BEAM OF LIGHT. AS A
PARTICLE, IT HAS A DEFINITE MASS, CHARGE,
AND SPIN, BUT IT ALSO
HAS A WAVELENGTH.
IT'S "SMEARED OUT" IN
SOME WAY. IT'S PRECISE
POSITION IS ALWAYS A
BIT UNCERTAIN. MAKE
SENSE? WE DIDN'T
THINK SO!



IN ITS GUISE AS A PARTICLE, AN ELECTRON INHABITS A SORT OF "PROBABILITY CLOUP"—NOT A CIRCULAR ORBIT. THE DENSEST PARTS OF THE CLOUD ARE WHERE THE ELECTRON IS LIKELIEST TO "BE"—IF IT CAN BE SAID TO BE ANYWHERE, WHICH IT CAN'T EXACTLY. THESE CLOUDS NEED NOT BE ROUND, BY THE WAY.



WE CAN ALSO VISUALIZE THE ELECTRON AS A WAVE, BEAMING AROUND THE NUCLEUS. IN THIS PICTURE, QUANTUM MECHANICS TELLS US THAT THE ELECTRON IS ALWAYS A "STANDING WAVE." THAT IS, IT "GOES AROUND" THE NUCLEUS A WHOLE NUMBER OF WAVELENGTHS: 1, 2, 3, 4, ETC., BUT NEVER A FRACTIONAL VALUE.





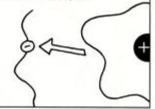


IN OTHER WORDS, ONLY CERTAIN DISCRETE "ORBITS" ARE AVAILABLE TO AN ELECTRON IN AN ATOM.

AN ORBITING ELECTRON IS SIMILAR: IT MAY ABSORB A JOLT OF ENERGY, TOO, IN THE FORM OF A BEAM OF LIGHT, FOR EXAMPLE.

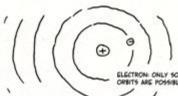


BUT THE ELECTRON MUST JUMP TO AN ORBIT CONSISTENT WITH A WHOLE NUMBER OF WAVELENGTHS.



THIS MEANS IT CAN ABSORB ONLY CERTAIN FIXED AMOUNTS OF ENERGY: JUST ENOUGH TO JUMP THE ELECTRON TO ONE OF THE HIGHER AVAILABLE ORBITS, UNLIKE A PLANET, WHICH CAN ABSORB ENERGY GRADUALLY AND ORBIT AT ANY DISTANCE, AN ELECTRON'S ENERGY IS LIMITED TO CERTAIN VALUES.





WE SAY THE ELECTRON'S ENERGY IS QUANTIZED: IN ANY GIVEN ATOM, THE ELECTRON'S CAN ASSUME ONLY CERTAIN FIXED, DISCRETE ENERGY LEVELS.







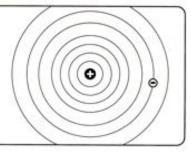
## NATURE OF ELECTRONS

- Electrons are standing wave patterns wrapped around the nucleus of the atom.
- The principle quantum number can only be an integer, because for other values the waves interfere and cancel each other out.
- Think of it as the number of waves that are wrapped around, an example of discrete math.

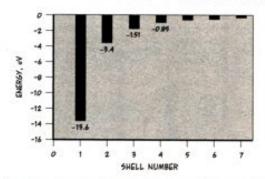
### **ENERGY LEVELS**

- In the hydrogen atom, there are seven possible energy levels.
- The energy levels become closer to each other as they get further from the nucleus.
- Since each energy level has many sub-levels, they start to cross over each other.

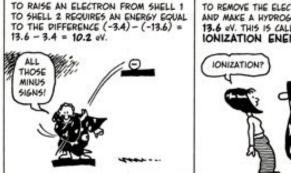
THE SIMPLEST EXAMPLE IS HYDROGEN: ONE ELECTRON PULLED BY A SINGLE PROTON. THE ELECTRON CAN INHABIT ANY ONE OF SEVEN DIFFERENT LEVELS. OR "SHELLS," MISLEADINGLY DEPICTED HERE AS CIRCULAR ORBITS.



THIS GRAPH SHOWS THE ELECTRON'S ENERGY IN EACH SHELL.



THE ENERGY UNIT HERE IS THE ELECTRON VOLT (eV). ONE eV IS THE ENERGY GAINED BY ONE ELECTRON PUSHED BY ONE VOLT. TRON'S ENERGY IS NEGATIVE. SINCE ENERGY MUST BE ADDED TO PULL THE ELEC-TRON FREE OF THE NUCLEUS THE FREE STATE IS TAKEN TO HAVE ENERGY = 0.)



TO REMOVE THE ELECTRON COMPLETELY AND MAKE A HYDROGEN ION REQUIRES 13.6 eV. THIS IS CALLED THE ATOM'S IONIZATION ENERGY.

- According to the quantum numbers, each main level has the same number of sublevels as the number of the main level (n = 1 has 1, n = 2 has 2, etc.)
- Each sublevel (orbital) can hold four more electrons than the next lowest orbital type.
- That means that s = 2, p = 6, d = 10, and f = 14.
- Each orbital has its own shape created by the angular momentum of the various electrons in it and their mutual repulsion.

## ORBITAL SHAPES



LARSER ATOMS, LIKE HELIUM, LITHIUM, OR TIN, ALSO HAVE UP TO SEVEN ELECTRON SHELLS. BUT IN THESE ATOMS, THE "HIGHER" SHELLS CAN HOLD MORE ELECTRONS THAN LOWER SHELLS CAN.

> THEY LOOK LIKE BALLOON POGGIES!

HIGHER-SHELL ELECTRONS CAN ALSO HAVE MORE COMPLEX CONFIGURATIONS, OR ORBITALS, THAN LOWER-SHELL ELECTRONS, YOU CAN THINK OF THESE ORBITALS AS ENERGY SUBLEVELS. DIFFERENT SUBLEVELS ARE CALLED S, p, d, AND F, AND EACH ORBITAL CAN HOLD UP TO TWO ELECTRONS.

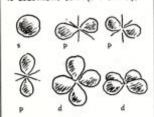


SHELL 1 HAS ONLY AN S ORBITAL, WHICH IS SPHERICAL. IT CAN HOLD ONE OR THIS ELECTRONS. SHELL 2 HAS ONE S AND THREE P ORBITALS, WHICH LOOK SOMETHING LIKE DUMBBELLS. WHEN FULL, THIS SHELL HOLDS EIGHT ELECTRONS.



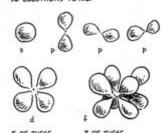


SHELL 3 HAS ONE S, THREE P, AND FIVE d ORBITALS (FORGET DRAWING THEM ALL!). WHEN FULL, IT HOLDS 18 ELECTRONS (2 X [1 + 3 + 5]).



AND THREE MORE & ORBITALS

SHELLS 4 AND HIGHER HAVE ALL OF THAT PLUS SEVEN F ORBITALS-UP TO 32 ELECTRONS TOTAL.



### FILLING UP THE LEVELS

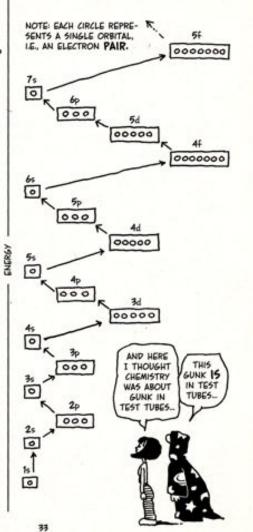


THIS DIAGRAM SHOWS THE ENERGY LEVELS OF THE DIFFERENT ORBITALS. THE FARTHER UP THE PAGE, THE HIGHER THE ENERGY.

NOTE THAT THE SHELLS
HAVE OVERLAPPING
ENERGIES: E.G., SOME
ORBITALS IN SHELL 4
(4d AND 4f) HAVE HIGHER
ENERGY THAN SOME ORBITALS
IN SHELL 5 (5s), EVEN
THOUGH 4 IS "LOWER" THAN 5.

NOTE: 25 MEANS THE 5
ORBITAL IN SHELL 2, 4d
MEANS THE d ORBITAL IN
SHELL 4, ETC. EACH ARROW
LEAPS TO THE ORBITAL
WITH THE NEXT-HIGHEST
ENERGY.

AS WE BUILD UP AN ATOM, EACH ELECTRON "WANTS" TO GO INTO THE LOWEST AVAILABLE ENERGY STATE. WE START AT THE LOWEST, THEN WHEN THAT FILLS UP, GO TO THE NEXT-LOWEST, ETC.



- The Aufbau and Hund Principles give us rules for how the electrons fill up the various orbitals and levels.
- They don't pair up unless they have to, and they almost always go to the lowest available energy level (orbital).

## HOW THIS RELATES TO THE PERIODIC TABLE

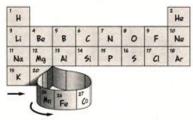
 The various blocks of the periodic table correspond to the numbers of electrons allowed in each orbital as the levels fill up, starting with hydrogen.

WE WRITE THE FIRST EIGHTEEN ELEMENTS IN A TABLE. IN ANY COLUMN, ALL THE ATOMS HAVE THE SAME OUTER ELECTRON CONFIGURATION.

| H   |                 |          |       |      |      |    | 2<br>He  |
|-----|-----------------|----------|-------|------|------|----|----------|
| Li  | <sup>4</sup> Be | , B      | 6     | 7 N  | 0    | F  | 10<br>Ne |
| Na. | Mg Mg           | 15<br>Al | 14 51 | 15 P | 14 5 | "a | 10 Ar    |

(EXCEPT HELIUM, WHICH GOES IN THE LAST COLUMN BECAUSE ITS OUTER SHELL IS FULL.)

NEXT, ACCORDING TO THE CHART ON P. 33 THE 45 ORBITAL FILLS AS WE BEGIN THE FOURTH ROW OF THE TABLE. NEXT, SAYS THE CHART, ELECTRONS BEGIN TO OCCUPY THE 3d ORBITALS. BEFORE WE CAN CONTINUE IN THE FOURTH SHELL, TEN ELECTRONS MUST GO INTO THESE INNER ORBITALS. WE WRITE THESE TEN ELEMENTS ON A LOOP, SINCE WE'RE STALLED FILLING THE FOURTH SHELL.





AFTER THOSE TEN, WE CAN RESUME PUTTING ELECTRONS IN THE FOURTH SHELL, UNTIL ALL THE 4s AND  $4_{\rm P}$  ORBITALS ARE FULL AT ELEMENT 36, KRYPTON, Kr.

| ' н  |          |          |          |       |          |          | 2<br>He  |
|------|----------|----------|----------|-------|----------|----------|----------|
| * LI | 4<br>Be  | B        | 1 6      | N N   | 0        | F        | Ne<br>Ne |
| Να   | 12<br>Mg | 13<br>Al | 14<br>5i | 15 P  | 14 5     | "a       | 10 Ar    |
| 19 K | 20       |          | 32       | As As | 34<br>5e | 95<br>Br | 36<br>Kr |

AGAIN, WITHIN EACH COLUMN THAT LIES "FLAT ON THE PAGE," ATOMS HAVE OUTER SHELLS THAT LOOK THE SAME.

THE FIFTH ROW FILLS UP IN EXACTLY THE SAME WAY AS THE FOURTH: FIRST THE OUTER s, THEN THE INNER d, THEN THE OUTER p.



THE ELEMENTS THAT ARE
"FLAT ON THE PAGE" ARE
CALLED MAIN-GROUP
ELEMENTS. THOSE IN
THE LOOPS ARE CALLED
TRANSITION METALS.

THE SIXTH ROW HAS A LOOP WITHIN A LOOP, AS 4F ORBITALS FILL BEFORE 5d. (SEE P. 38) AS THERE ARE SEVEN AF ORBITALS, THIS LOOP HAS 14 ELEMENTS. IT IS CALLED THE LANTHANIDE SERIES, AFTER ITS FIRST ELEMENT, LANTHANION.



THE SEVENTH ROW PETERS OUT WHEN WE RUN

